# **ENVIRONMENTAL IMPACT OF OVERHEAD LINES**

Impacts:

- Property of the land
- Esthetic (area view)
- Ecological (flora, fauna, water)
- Technical( EMC, disturbances)
- Health
  - $\circ$  electric field
  - o magnetic field
  - o noise

x efforts to increase transmission capacity

# <u>Safety areas for overhead lines =</u>

space defined by vertical planes on both sides of the line within a horizontal distance measured perpendicular to the lines. Distance is from the line conductors on both sides. For conductors without isolation:

- a) U from 1 kV up to 35 kV 7 m,
- b) U from 35 kV up to 110 kV 12 m,
- c) U from 110 kV up to 220 kV 15 m,
- d) U from 220 kV up to 400 kV 20 m,
- e) U more than 400 kV 30 m.

# **Impact of el-mag. field generated by overhead line**

Impact of low frequency field (50, 60 Hz) on animals and human is researched during last 40 years.

Many studies (impact on molecular mechanisms, genetical changes, disease) – statistical problems, not clear results and conclusions (low correlation).

- el. field causes charges and currents at surface.
- mag. field is inductive el. field, circulating currents.
- field energy absorbed by living matter.

Even research results are not clear standards for lines impact are existed:

• ENV 50166-1: Human exposure to electromagnetic field; Low frequency (0 Hz to 10 kHz). CENELEC 1995

0 50 Hz limit values, public

- $E_{max} = 10 kV/m$
- $B_{max} = 640 \ \mu T$

 $\circ$  50 Hz limit values, employee

• 
$$E_{max} = 30 \text{ kV/m}$$

- $\bullet B_{max} = 1600 \ \mu T$
- Directive ICNIRP (International Commission on Non-Ionizing Radiation Protection) from 1999, authorize WHO
   50 Hz,

o public

• 
$$E_{max} = 5 kV/m$$

$$B_{\text{max}} = 100 \ \mu\text{T}$$

 $\circ$  employee

$$E_{\rm max} = 10 \ \rm kV/m$$

$$B_{\text{max}} = 500 \ \mu\text{T}$$

- ČSN 332040 (1993) Protection against impact of electromagnetic field of 50 Hz in area of operational electrical system equipment.
  O Worker with electrotechnical qualification at control routes and working place: E<sub>max</sub> =15 kV/m
  - $_{\odot}$  E<sub>max</sub> =15 ÷ 20 kV/m  $\rightarrow$  1,5hour/day

$$_{\odot}$$
 E<sub>max</sub> = 20 ÷ 25 kV/m  $\rightarrow$  0, 5hour/day

 $\circ$  zone of power engineering equipment impact:

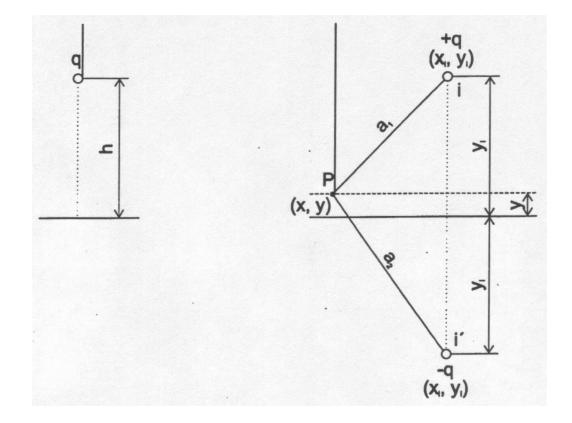
• 
$$E_{max} = 10 \text{ kV/m}$$

- $\bullet B_{max} = 500 \ \mu T$
- $\circ$  Zone of electrical equipment impact is area where
  - E > 1 kV/m at 1,8 m high
  - $B > 100 \mu T$  at 1,0 m high

## **Electric field calculation**

Configuration:

- Line conductor with linear electric charge density q (C/m)
- ground is equipotential surface  $(U = 0) \rightarrow \text{mirror method}$



Potential at point  $P_{(x,y)}$  above ground

$$\varphi_{\rm P} = \frac{q}{2\pi\varepsilon_0} \ln \frac{a_2}{a_1} \quad (V)$$

 $\epsilon_0$ ..... permittivity of vacuum

 $\varepsilon_0 = 8,854 \cdot 10^{-12} \text{ F/m} \approx 10^{-9} / 36\pi \text{ F/m}$ 

$$\phi_{\rm P} = \frac{q_{\rm i}}{4\pi\epsilon_0} \ln \frac{(x - x_{\rm i})^2 + (y - y_{\rm i})^2}{(x - x_{\rm i})^2 + (y + y_{\rm i})^2}$$

If voltage is determined one conductor could be calculated:

$$u_i = \frac{q_i}{2\pi\varepsilon_0} \ln \frac{2y_i}{r_i}$$

Multi conductor system (ground wires are included,  $u_z = 0$ ) – method of capacity calculation is used.

 $(u) = (\delta)(q)$  $(q) = (\delta)^{-1}(u)$ 

Potential coefficient

$$\delta_{i,i} = \frac{1}{2\pi\varepsilon_0} \ln \frac{2y_i}{r_i}$$
$$\delta_{i,j} = \frac{1}{2\pi\varepsilon_0} \ln \frac{\sqrt{4y_i y_j + d_{i,j}^2}}{d_{i,j}}$$

Total potential at point P

$$\varphi_{\rm P} = \sum_{i=1}^{n} \frac{q_i}{2\pi\varepsilon_0} \ln \frac{a_{2i}}{a_{1i}} \quad (V)$$

Intensity of electric field:

$$\vec{E} = -\text{grad } \phi \quad (V/m)$$
$$E_x = -\frac{\partial \phi_P}{\partial x}, \quad E_y = -\frac{\partial \phi_P}{\partial y}$$
$$E = \sqrt{E_x^2 + E_y^2}, \quad \vec{E} = E_x + jE_y$$

Voltage, charge and electric field are variable of time (phase shift).

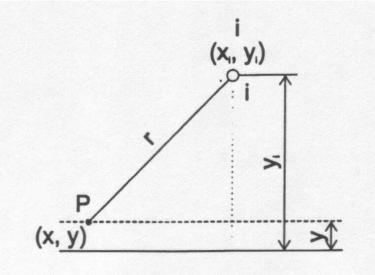
 $\begin{pmatrix} q(t) \end{pmatrix} = \left( \delta \right)^{-1} \left( u(t) \right) \\ \left( \hat{Q} \right) = \left( \delta \right)^{-1} \left( \hat{U} \right)$ 

## **Magnetic field calculation**

Configuration:

- linear conductor is loaded by current i (A)
- currents in grounding wires are calculated using impedance matrix

$$\begin{pmatrix} \Delta \hat{\mathbf{U}}_{v} \\ 0 \end{pmatrix} = \begin{pmatrix} \hat{\mathbf{Z}}_{vv} & \hat{\mathbf{Z}}_{vz} \\ \hat{\mathbf{Z}}_{zv} & \hat{\mathbf{Z}}_{zz} \end{pmatrix} \begin{pmatrix} \hat{\mathbf{I}}_{v} \\ \hat{\mathbf{I}}_{z} \end{pmatrix}$$



Amperes law

$$\oint \vec{H} \cdot d\vec{1} = I$$

Magnetic induction at point  $P_{(x,y)}$  out of conductor

$$B = \frac{\mu_0 i}{2\pi r} \quad (T)$$

 $\mu_0$ .... permeability of vacuum  $\mu_0 = 4\pi \cdot 10^{-7} \text{ H/m}$ 

Components

$$B_{x} = \pm B \cdot \sin \left( \arctan \left| \frac{y_{i} - y}{x_{i} - x} \right| \right)$$
$$B_{y} = \pm B \cdot \cos \left( \arctan \left| \frac{y_{i} - y}{x_{i} - x} \right| \right)$$

Total values at point P

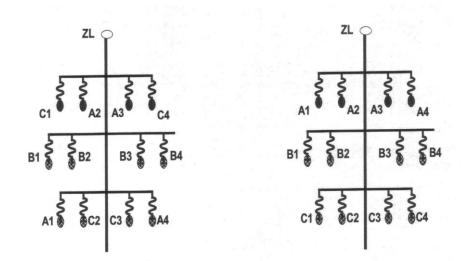
$$B_{x\Sigma} = \sum_{i=1}^{n} B_{xi}, \quad B_{y\Sigma} = \sum_{i=1}^{n} B_{yi}$$
$$B_{\Sigma} = \sqrt{B_{x\Sigma}^{2} + B_{y\Sigma}^{2}}, \quad \vec{B}_{\Sigma} = B_{x\Sigma} + jB_{y\Sigma}$$

Current and magnetic field are time variable of time.

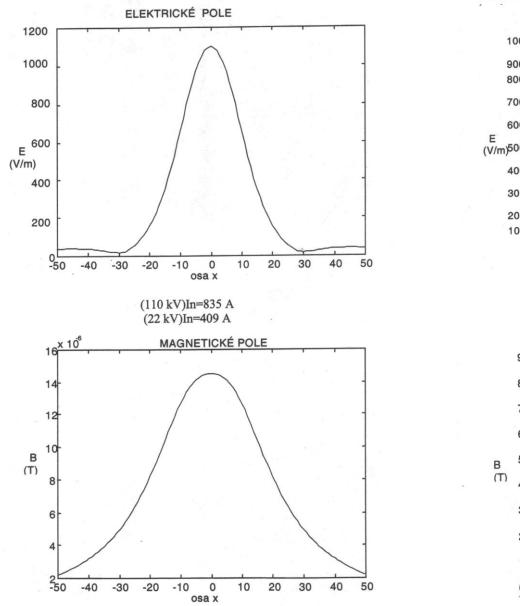
$$B(t) = \frac{\mu_0 i(t)}{2\pi r} \quad (T)$$

In term of el-mag. field impact are 2 tasks:

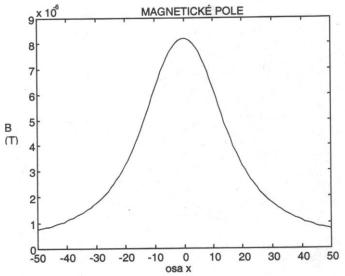
- Maximum value at given area (cross-section under the line)
- Optimization of the line minimizing field characteristics



		and the second	
Vodič	Osa x (m)	Osa y (m)	Napětí (kV)
а	-7.2	25.2	22
b	-8.1	20.2	22
с	-7.8	15.2	22
а	-3.4	24.2	110
b	-4.3	19.2	110
с	-4.0	14.2	110
а	3.4	24.2	110
b	4.3	19.2	110
с	4.0	14.2	110
а	7.2	25.2	22
b	8.1	20.2	22
с	7.8	15.2	22
ZL	0	27.7	0

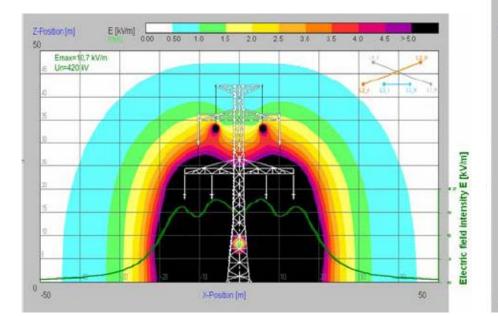


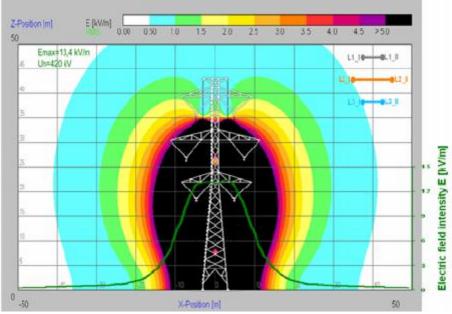
ELEKTRICKÉ POLE 1000 900 800 700 600 E (V/m)500 400 300 200 100 -50 30 40 50 -30 20 -20 -10 0 10 -40 osa x (110 kV)In=835 A (22 kV)In=409 A

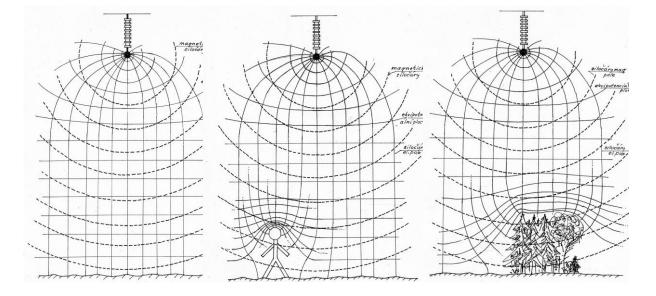


Vedení 2x22 kV (vnější, fáze a-b-c), 2x110 kV (vnitřní, fáze a-b-c)

Vedení 2x22 kV (vnější, fáze c-b-a), 2x110 kV (vnitřní, fáze a-b-c)







Electric field control:

- Increase distance from conductors to ground
- Voltage level decrease
- Number of bundle conductors and bundle distance
- Conductors distance (line compactness/size)
- Phase sequence
- Shielding wires under the line

# Magnetic field control

- Increase distance from conductors to ground
- Current decrease
- Conductors distance (line compactness/size)
- Coupling conductors
- Phase sequence

# **Overhead line noise**

Excessive noise – effects neural and cardiovascular systems, deteriorate learning ability, memory, communication,...

Legislation

- recommendation of WHO 55dB for outdoor areas at day time
- Day time 6:00 22:00, night time.
- Overhead lines = other stationary sources of noise
  - $\circ$  For outdoor area:

 $L_{Aday} = L_{Anight} = 50 \text{ dB.}$  $\circ$  For protected premises:

 $L_{Aden} = 50 \text{ dB}, L_{Anoc} = 40 \text{ dB}.$ 

#### Noise level from source

Equivalent sound level (A)

$$L_{Aeq} = 10 \log \frac{1}{T} \int_{t_1}^{t_2} \left( \frac{p_A(t)}{p_0} \right)^2 dt$$
 (dB)

 $\begin{array}{l} p_A(t) \ ... (Pa) \ is \ continues \ effective \ value \ of \ acoustic \ pressure \ time \ function \ scaled \ to \ frequency \ correction \ curve \ (regards \ to \ human \ perception) \ T \ (s) \ ... \ integration \ period, \ T = t_2 - t_1 \ p_0 \ ..... \ referential \ acoustic \ pressure \ p_0 = 2.10^{-5} \ Pa \end{array}$ 

Sound intensity I (sum for multi sources)

$$I = \frac{P}{S} (W/m^2)$$

Generally  $I \sim p^2$ . Hence

$$L_{I} = 10 \log \frac{I}{I_{0}} \quad (dB)$$

 $I_0 \ .... \ audibility \ limit \\ I_0 = 10^{-12} \ W/m^2$ 

More noise sources Noise intensity

$$I_{\Sigma} = I_1 + I_2 + \dots + I_n$$
$$I_0 \cdot 10^{L_{\Sigma}/10} = I_0 \cdot 10^{L_1/10} + \dots + I_0 \cdot 10^{L_n/10}$$

Hence, noise level

$$L_{\Sigma} = 10 \log \sum_{i=1}^{n} 10^{L_i/10}$$

## Examples of different nose levels:

- 160 dB space rocket start ( up to 200 dB)
- 150 dB volcano explosion
- 140 dB super jet, sirens
- 130 dB industrial boiled, high pressure steam or gas draining
- 120 dB rolling mill, industrial hummer, thunder, plane
- 110 dB industrial work-shops, inside the orchestra
- 100 dB near to train, cargo vehicles, funicular etc.
- 90 dB noisy crossroads, pneumatic drill
- 80 dB auto, motorbike, noisy street, orchestra from the auditorium
- 70 dB static machines
- 60 dB street
- 50 dB normal speech, slow going car
- 40 dB offices
- 30 dB gardens, residence area
- 20 dB whispering

• 0 dB – sound sensation limit and silence

Overhead lines noise

If discrete conductors charge Q (C/m) is known. Intensity of electric field near to conductor

$$E = \frac{Q}{2\pi\varepsilon_0 r} \quad (V/m)$$

In case of n-bundle each conductor would have charge Q/n, then average intensity E:

$$\mathbf{E}_1 = \frac{1}{n} \frac{\mathbf{Q}}{2\pi\varepsilon_0 \mathbf{r}} \quad (\mathbf{V}/\mathbf{m})$$

If the bundle distance is a (m) than for maximum surface value E

$$E_{\max} = E_1 \cdot \left( 1 + \frac{(n-1) \cdot r}{a} \right) \quad (V/m)$$

Surface intensity  $E_{max}$  affects corona discharge. It causes noise near to overhead line.

Many methods for overhead line noise calculation are existed. For example CIGRE:

> $L = 3.5 \cdot E_{max} + 12 \cdot r - 33 \log D - 30$  (dB)  $E_{max}$  (kV/cm), r(cm), D(m)

Typical OHL configuration	Basic support tower height N+0/(m)	Maximal surface electrical gradient <sup>3)</sup>	Weather type	Maximal audible noise level under OHL <sup>4)</sup> , 1,8 m high	Audible noise level at the OHL protective zone border <sup>5)</sup> , 1,8 m high
(-)	H (m)	E (kV.cm <sup>-</sup> <sup>1</sup> )	(-)	L <sub>A</sub> (dB)	$L_{B}(dB)$
1x400kV HORIZ	N+0 30,22 (m)	13,58	fair weather	18,64	12,25
Phase conductors 1x3x3AlFe450/52 <sup>1)</sup> Ground wires 2xAlFe180/59			rainy weather	43,64	37,25
			heavy rain	47,14 <sup>N</sup>	40,75 <sup>N</sup>
2x400kV DANUBE			fair weather	23,93	19,23
Phase conductors 2x3x3A1Fe450/52	N+0 41,6 (m)	14,92	rainy weather	48,93 <sup>N</sup>	44,23 <sup>N</sup>
Ground wires 2xAlFe180/59	nd wires		heavy rain	52,43 <sup>N</sup>	47,73 <sup>N</sup>

1x220kV HORIZ			fair weather	22,01	16,10
Phase conductors 1x3x1AlFe450/52 Ground wires 2xAlFe180/59	N+0 25,0 (m)	15,40	rainy weather	47,01 <sup>N</sup>	41,10 <sup>N</sup>
			heavy rain	50,51 <sup>N,D</sup>	44,60 <sup>N</sup>
1x220kV HORIZ Phase conductors			fair weather	23,97	18,07
1x3AlFe350/59 Ground wires	N+0 25,0 (m)	16,21	rainy weather	48,97 <sup>N</sup>	43,07 <sup>N</sup>
2xAlFe180/59			heavy rain	52,47 <sup>N,D</sup>	46,57 <sup>N</sup>
2x220kV DANUBE			fair weather	28,52	23,85
Phase conductors 2x3x1AlFe 350/59	N+0 38,2 (m)	17,09	rainy weather	53,52 <sup>N,D</sup>	48,85 <sup>N</sup>
Ground wires 1xAlFe 180/59			heavy rain	57,02 <sup>N,D</sup>	52,35 <sup>N,D</sup>
2x220kV DANUBE			fair weather	13,35	8,87
Phase conductors 2x3x2AlFe 350/59	N+0 38,2 (m)	12,98	rainy weather	38.35	33,87
Ground wires 1xAlFe 180/59			heavy rain	41,85 <sup>N</sup>	37,37

	L1_II
L3_I L1_I	L3_II

#### 2x400 kV OHL DANUBE

I. CIRCUIT 2x400 kV OHL DANUE	E II. CIRCUIT 2x400 kV OHL DANUBE
<sup>a</sup> L2=12,72 <sup>b</sup> L2=1 (kV.cm <sup>-1</sup> ) (kV.cr <sup>c</sup> L2=12,92 (kV.cr	$(kV.cm^{-1})$ (kV.cm <sup>-1</sup> )
<sup>a</sup> L3=14,41 <b>bL3=14,92</b> <sup>a</sup> L1=14,82 <sup>b</sup> L1=1 (kV.cm <sup>-1</sup> ) (kV.cm <sup>-1</sup> ) (kV.cm <sup>-1</sup> )	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$
<sup>c</sup> L3=14,52 (kV.cm <sup>-1</sup> ) <sup>c</sup> L1c=14,50 (kV.c	$n^{-1}$ $^{c}L2=14,50 (kV.cm^{-1})$ $^{c}L3=14,52 (kV.cm^{-1})$

Note: L1, L2, L3 – 1<sup>st</sup> or 2<sup>nd</sup> system phases; a,b,c – partial wires of 3-bundles

 $E_{\rm p}$  maxima on partial wires AlFe 450/52 of 3-bundles 2x400kV OHL DANUBE