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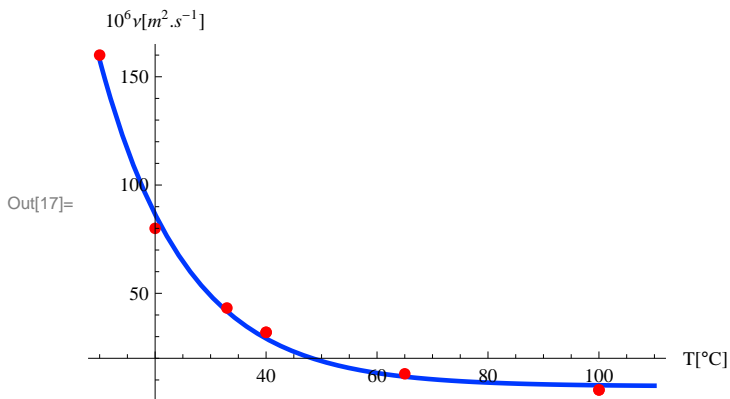
In[1]:= Quiet@Remove["Global`*"];
SetDirectory[NotebookDirectory[]];
$HistoryLength = 3;
Off[FindRoot::lstol];

In[5]:= roOlej = 847;
roVoda = 997;
cm = 0.01;
mm = 0.1 cm;

In[9]:= datvisc = {{100, 5.4}, {100.01, 5.4 - 0.01}, {65,  $\frac{10.876 * 10^{-3}}{\text{roOlej}} * 10^6$ },
 $\frac{36.612 * 10^{-3}}{\text{roOlej}} * 10^6$ }, {20, 80}, {10, 160}};
(*mm2/s*)
pl1 = ListPlot[datvisc,
  AxesLabel → {"T[°C]", "106v[m2.s-1"]}, PlotStyle → {Hue[0], PointSize[0.02]}];

In[11]:= ClearAll[nahr, T, α];
v := α# &;
par := Union[Cases[#, α_, {0, ∞}]] &;
model = v[1] + v[2] * Exp[1 - v[3] * T];
nahr[T_] = model /. FindFit[datvisc, model, par[model], T, Method → NMinimize];
pl2 = Plot[nahr[T], {T, 10, 110}, AxesLabel → {"T[°C]", "106v[m2.s-1"]},
  PlotStyle → {Hue[0.63], Thickness[0.008]}, PlotRange → All];
Show[pl2, pl1, PlotRange → All]
nyOlej[Tolej_] := 10-6 * nahr[Tolej];
cpOlej = 1988;
cpVoda = 4178;
TinVoda = 14.5;

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In[22]:= (*mereni cislo 5*)
TinOlej = 59;
ToutOlej = 34.5;
msteckouVoda = 6.33;
msteckouOlej = 1.218;
respars = Solve[
  {cpOlej * msteckouOlej * (TinOlej - ToutOlej) == cpVoda * msteckouVoda * (ToutV - TinVoda),
   P == cpVoda * msteckouVoda * (ToutVoda - TinVoda)}, {ToutV, P}][[1]];
{ToutVoda, vykon} = {ToutV, P} /. respars
datNyVoda = {{0, 1.787}, {5, 1.519}, {10, 1.307}, {20, 1.004}, {30, 0.801}, {40, 0.658},
  {50, 0.553}, {60, 0.475}, {70, 0.413}, {80, 0.365}, {90, 0.326}, {100, 0.29}};
ListPlot[%];
nyVoda = 10-6 * Interpolation[datNyVoda][#] &;
dataPrVoda = {{0.01, 13.67}, {10, 9.47}, {20, 7.01}, {30, 5.43},
  {40, 4.34}, {50, 3.56}, {60, 2.99}, {70, 2.56}, {80, 2.23}, {90, 1.96}};
ListPlot[%];
PrVoda = Interpolation[dataPrVoda];
dataLambdaVoda =
  {{0, 0.561}, {20, 0.5984}, {40, 0.631}, {60, 0.654}, {80, 0.67}, {100, 0.679}};
ListPlot[%];
lambdaVoda = Interpolation[dataLambdaVoda];
lambdaOlej = 0.13141 &;
PrOlej[T_] := 
$$\frac{\text{nyOlej}[T]}{\frac{\text{lambdaOlej}[T]}{\text{cpOlej} * \text{roOlej}}}$$
;
nu[gz_] := Which[0 ≤ gz < 667, 4.364 + 0.263 * gz0.506 * Exp[ $\frac{-41.}{\text{gz}}$ ],
  667 ≤ gz < 2 * 104, 1.302 * gz0.333 - 0.5, gz ≥ 2 * 104, 1.302 * gz0.333 - 1];
Plot[nu[gz], {gz, 666, 680}];

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Out[27]= {16.7431, 59 323.9}

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In[41]:= ClearAll[vydej];
ΔxVstup = 50 mm;
dchar = 0.32 cm;
vydej[s0_, TinVoda_, d0_] :=
Module[{Dchar = dchar, vyska, m0, nk, prurez, rychlostOlej, rychlostVoda,
  ReVoda, ReOlej, gz, alfaOlej, alfaVoda, nKanal, ξ, Tplech, kacko, Tdeska,
  αOlej, αVoda, TdefOlej, TdefVoda, k, rce, res, Tvd, Tv0, Tvystup, tv0, pom,
  Tvoda, Tolej, ksi, plb, vykony, TstrV, TstrO, ReV, ReO, PrV, PrO, pomNu},
  s0
  m0 =  $\frac{s0}{d0}$ ;

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vyska = d0;

prurez = Dchar * m0;

rychlostVoda =  $\frac{msteckouVoda}{roVoda * prurez}$ ;
rychlostOlej =  $\frac{msteckouOlej}{roOlej * prurez}$ ;

ReVoda[T_] :=  $\frac{Dchar * rychlostVoda}{nyVoda[T]}$ ;
ReOlej[T_] :=  $\frac{Dchar * rychlostOlej}{nyOlej[T]}$ ;

gz[re_, pr_, x_] :=  $\frac{re * pr * Dchar}{x}$ ;
alfaOlej[T_, x_] :=  $\frac{lambdaOlej[T]}{Dchar} * nu[gz[ReOlej[T], PrOlej[T], Abs[x] + \Delta xVstup]]$ ;
alfaVoda[T_, x_] :=  $\frac{lambdaVoda[T]}{Dchar} * nu[gz[ReVoda[T], PrVoda[T], Abs[d0 - x] + \Delta xVstup]]$ ;

 $\xi = \frac{alfaOlej[0.5(62 + 39), 0.5 * (d0 + \Delta xVstup)]}{alfaVoda[TinVoda + 2, 0.5 * (d0 + \Delta xVstup)]}$ ;

Tplech[Tolej_, Tvoda_] =
  (Tdeska /. Simplify[Solve[ $\alpha_{Olej} * (Tolej - Tdeska) = \alpha_{Voda} * (Tdeska - Tvoda)$ , Tdeska][[1]] /.  $\alpha_{Olej} \rightarrow \xi * \alpha_{Voda}$ ]) /.  $\xi \rightarrow \xi$ ;
kacko[ $\alpha_1$ _,  $\alpha_2$ _] :=  $\frac{\alpha_1 * \alpha_2}{\alpha_1 + \alpha_2}$ ;
TdefOlej = Simplify[0.5 * (To[x] + Tplech[To[x], Tv[x]])];
TdefVoda = Simplify[0.5 * (Tv[x] + Tplech[To[x], Tv[x]])];

k[x_] = Module[{ $\alpha_1, \alpha_2$ },  $\alpha_1 = alfaOlej[TdefOlej, x] * \left( \frac{nahr[TdefOlej]}{nahr[Tplech[To[x], Tv[x]]]} \right)^{0.14}$ ;
 $\alpha_2 = alfaVoda[TdefVoda, x]; kacko[\alpha_1, \alpha_2]$ ];

rce[ToutVoda_] := {-cpVoda * msteckouVoda * Tv'[x] == k[x] * m0 * (To[x] - Tv[x]),
  cpOlej * msteckouOlej * To'[x] == -k[x] * m0 * (To[x] - Tv[x]),
  To[0] == TinOlej, Tv[0] == ToutVoda};
res[ToutVoda_] := NDSolve[rce[ToutVoda], {Tv, To}, {x, 0, d0}][[1]];

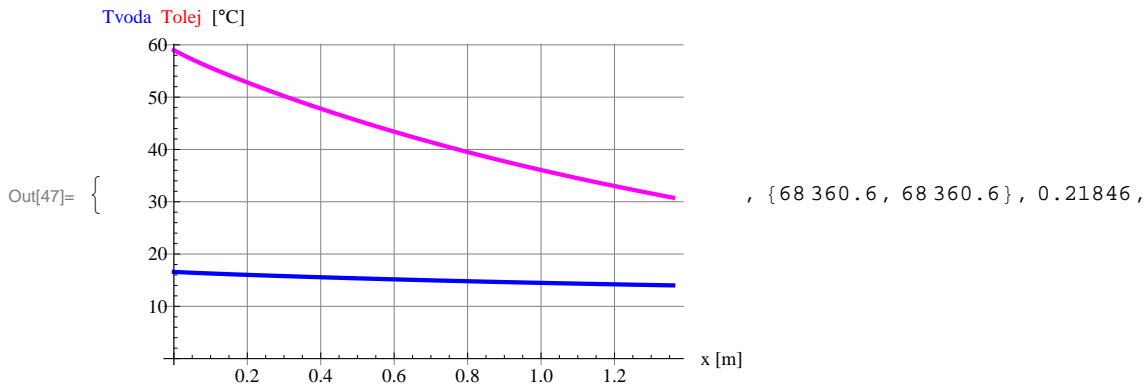
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Tvd[Tv0_?NumberQ] := Tv[d0] /. res[Tv0];
Tv0[tvd_] := tv0 /. FindRoot[Tvd[tv0] == tvd, {tv0, 19}];
Tvvystup = Tv0[TinVoda];
pom = res[Tvvystup];

plb = Plot[Evaluate[{Tv[x], To[x]} /. pom], {x, 0, d0},
  AxesOrigin -> {0, 0}, PlotStyle -> {{Thick, Blue}, {Thick, Magenta}},
  AxesLabel -> {"x [m]", "Tvoda Tolej [°C]"}, GridLines -> Automatic];
vykony = {cpOlej * msteckouOlej * (To[0] - To[d0]),
  cpVoda * msteckouVoda * (Tv[0] - Tv[d0])} /. pom;
{TstrV, TstrO} = Evaluate[{Tv[0.5 d0], To[0.5 d0]} /. pom];
{ReV, ReO, PrV, PrO} =
  {ReVoda[TstrV], ReOlej[TstrO], PrVoda[TstrV], PrOlej[TstrO]};
{plb, vykony, ξ, {TstrV, TstrO}, {ReV, ReO, PrV, PrO},  $\frac{ReV * PrV}{ReO * PrO}$ ,
  pomNu =  $\frac{nu@gz[ReV, PrV, 0.5 * (d0 + \Delta xVstup)]}{nu@gz[ReO, PrO, 0.5 * (d0 + \Delta xVstup)]}, \left( pomNu * \frac{lambdaVoda[TstrV]}{lambdaOlej[TstrO]} \right)^{-1}}$ 
];
S0 = 17.68;
d0 = 1360 mm;
pp = vydej[S0, 14, d0]

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{15.0085, 41.7829}, {429.109, 4.13721, 8.07386, 342.598}, 2.44431, 1.01765, 0.219116}
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In[48]:= Print["odchylka vypocet - mereni= ", 100  $\frac{Mean[pp[[2]]] - P /. respars}{P /. respars}$ , " %"]

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odchylka vypocet - mereni= 15.2329 %